# Research on a Learning Model Presuming Representationalism, Functionalism, and Neural Darwinism 

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## Motivations

- Generalization is one of the most important abilities of humans.
- Instances + little prior knowledge $\Rightarrow$ general rules
$\checkmark$ Humans
? Learning model based on cognitive hypotheses


## Cognitive Foundations

- Representationalism:
the mind sees the world through representations
$\Rightarrow$ design knowledge representation
- Functionalism:
the mind is composed of functions
$\Rightarrow$ design knowledge combination
- Neural Darwinism:
memory and learning are the result of evolution in brain $\Rightarrow$ design learning algorithm


## Knowledge Representation

- Based on representationalism
- Four types of representation
- Concept: a group of things, with hierarchy $\Rightarrow$ symbols, with hierarchy
- Proposition: a function of concepts
$\Rightarrow$ strings
- Rule: function(inputs) $\rightarrow$ outputs
$\Rightarrow$ string $\rightarrow$ string
- Analogy: the similarity between two situations $\Rightarrow$ sets of strings



## Knowledge Combination

- Based on functionalism
- The mind $=$ a combination of functions
$\Rightarrow$ Propositions can combine with each other



## Learning Algorithm

- Based on neural Darwinism
- selection upon variation of rule representations
- Implemented with evolutionary algorithms


## Prior Knowledge



Only bare-bone prior knowledge is given:

(1)

(2)

(3)

(4)
Memory Usage of
Representations
(5)

## Assumptions:

1. The knowledge domain is deterministic
2. Input instances are consistent and their outputs are not functions

## Fitness Function

- Adopt the minimum description length principle
- $m(a)$ : the length of the encoded representation $a$
- Fitness $(r)=m(r)-\sum_{i \in C} m(i)+P \sum_{i \in I} m(i)$

rule

Consistent ground instances ground instances

- $P$ : the punishment factor (use moderate values)


## Overview of the Model



## Analyses

- The model is Turing complete
- The model $\Leftrightarrow$ unrestricted grammar $\Leftrightarrow$ Turing machine
- The learning process is sound but incomplete
- The consistency of each rule is checked
- The fitness function has bias
- The consistency checking is decidable
- Use input instances to simplify rules


## Experiment 1: 1-D minesweeper



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- Given the indicators, is a cell at a position bombed ?


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- Given the indicators, is a cell at a position bombed ?
- Input Instance:



## An Example

A consistent rule:


## Results (1)

## After 100 generations (population size $=25$ ) :

| Seen By the Model <br> (total = 258) | Input Instance Space <br> size $=896$ |
| :--- | ---: | ---: |

## Results (1)

After 2000 generations (population size $=25$ ) :


## Results (2)

After 2000 generations (population size $=25$ ):

- 32550 different rules have been discovered by the model
- $99.1 \%$ does not enter the population (filtered by the fitness function)
- $14 \%$ are consistent (vs. random guess $2.6 \%$ )
- 281 different rules ( $0.9 \%$ ) have entered the population
- $56 \%$ are consistent


## Experiment 1 + Analogy

- Analogy allows the model to apply rules to similar situations




## Two Settings of Analogies

- Setting 1: weak analogy (current position)

|  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |

- Setting 2: strong analogy (current position + regions with size $=2,3,4$ )



## Results



## Experiment 3: mathematical ring

- Input instance:

Integers with,$+ \times(\bmod 10)$


- Allow higher-level propositions to be generated



## Results

After 2000 generations (population size $=25$ ) :

- 5955 different rules have been discovered by the model
- $93.1 \%$ does not enter the population (filtered by the fitness function)
- $3.5 \%$ (208) are consistent
- 409 different rules (6.9\%) have entered the population
- $16 \%$ (65) are consistent
- 687 different instances are covered by 23 consistent rules in the population
- $82 \%$ have higher level syntactical structures


## Learning Results

| Population Size | $\begin{aligned} & \mathbf{0} \cdot \mathbf{N} \\ & =\mathbf{N} \cdot \mathbf{0} \\ & =\mathbf{0} \end{aligned}$ | Identity of $\times$ | Identity of + | $\begin{aligned} & \mathbf{2} \times \mathbf{N} \\ & =\mathbf{N} \times \mathbf{2} \\ & =\mathbf{N}+\mathbf{N} \end{aligned}$ | Commutativi of + | Associativity of $\times$ | Associativity of + | Distributivity |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 25 | 1.00 (65) | 1.00 (182) | 1.00 (265) | 0.65 (281) | 0.60 (283) | 0.00 | 0.00 | 0.00 |
| 100 | 1.00 (10) | 1.00 (52) | 1.00 (83) | 1.00 (75) | 1.00 (155) | 0.10 (1223) | 0.05 (1072) | 0.00 |
| 200 | 1.00 (4) | 1.00 (14) | 1.00 (34) | 1.00 (33) | 1.00 (88) | 0.24 (1228) | 0.24 (1342) | 0.00 |
| 500 | 1.00 (0) | 1.00 (6) | 1.00 (4) | 1.00 (22) | 1.00 (28) | 0.50 (921) | 0.33 (700) | 0.00 |

## Summary

- A learning model based on three cognitive hypotheses
- Only bare-bone prior knowledge is given
- The knowledge base speeds up the consistency checking
- The model is analyzed:

1. Turing complete
2. sound, incomplete
3. consistency checking is decidable

- The fitness function:

1. based on the minimum description length principle
2. filter effect

- Three experiments:

1. generalization
2. analogy can enhance the generalization ability
3. rules with unseen syntactical structures can be learned

## Conclusion

- A learning model based only on the three cognitive hypotheses can do inductive learning.
- Even provided only with bare-bone prior knowledge, this learning model still can learn general rules from input instances.
- This learning model can utilize analogical information to enhance its learning ability.
- The model can learn general rules which have unseen syntactical structures.

